

Optical Computing for Large Scale Artificial Intelligence

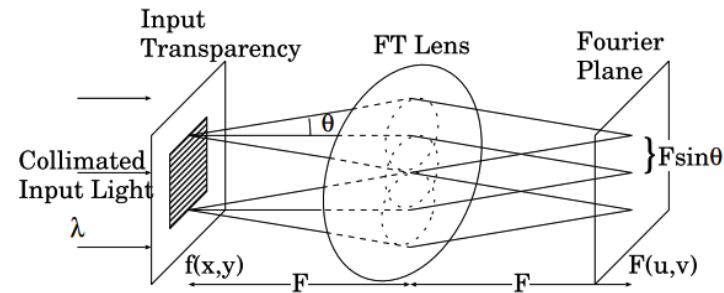
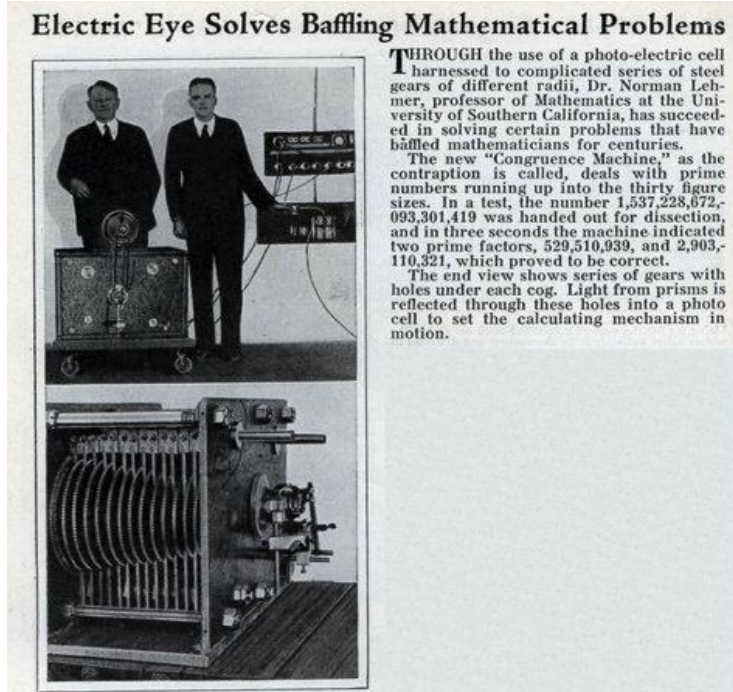


Using Light to change the Future of Computing

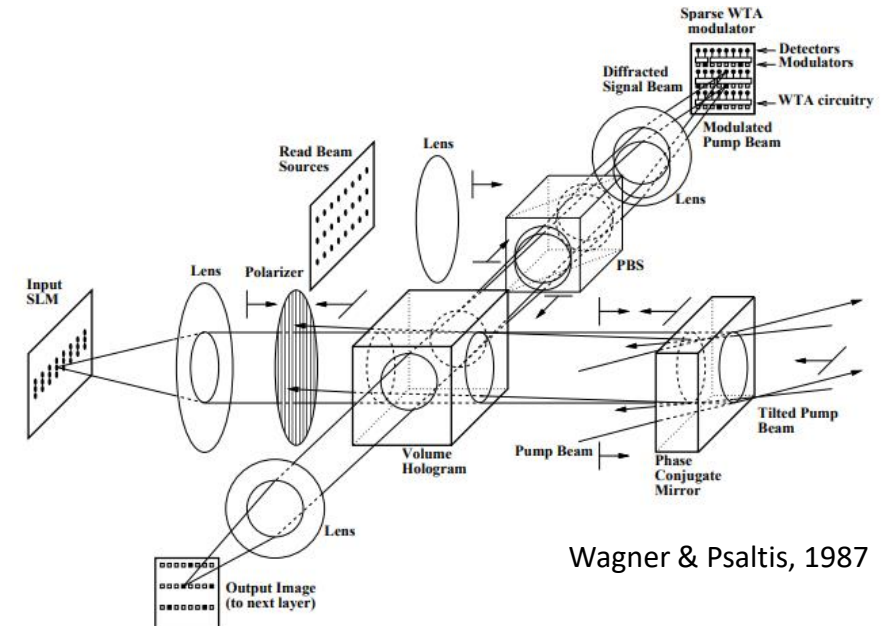
Igor Carron, CEO and Co-Founder

A short history of Optical Processing of Information

From Sieves ... to Fourier Transforms ... all the way to Neural Networks



$$F(u,v) = \iint f(x,y) e^{i\frac{2\pi}{\lambda F}(xx' + yy')} dx dy$$



Wagner & Psaltis, 1987

1930's

1950's

1980's

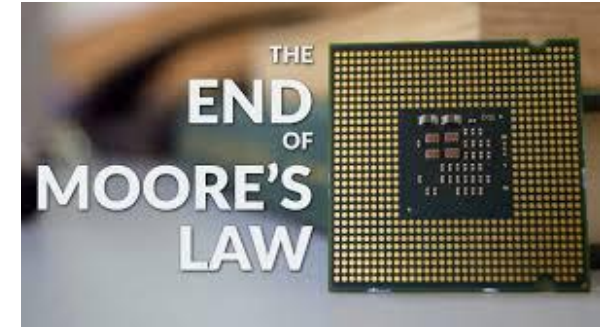
Then
Came
Winter



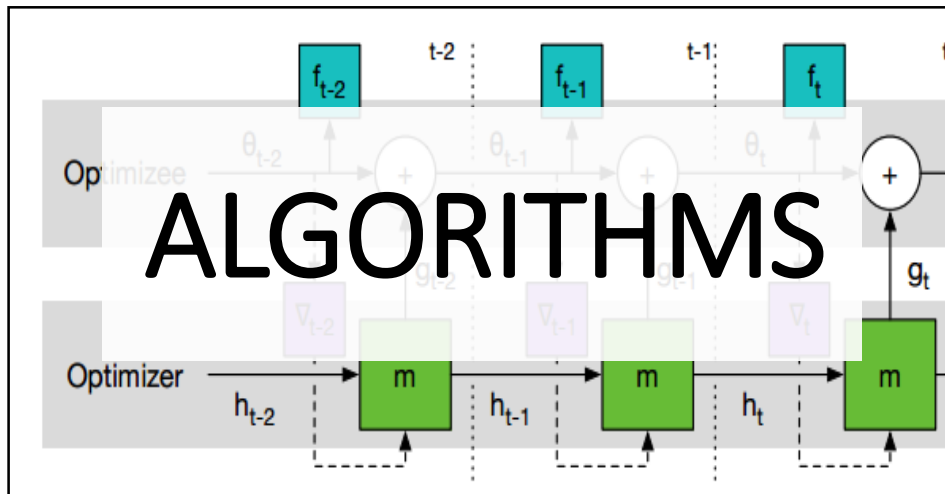
Rebooting Optical Computing: the AI era



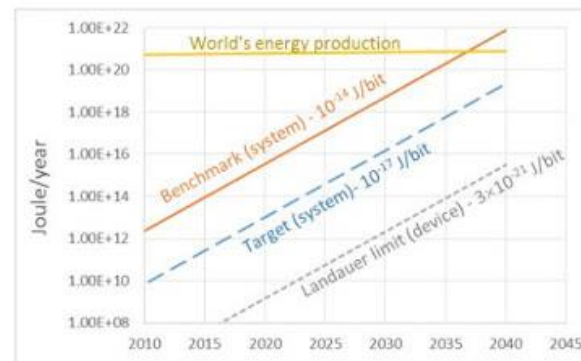
SCALABLE ?



<https://www.youtube.com/watch?v=Ak7HPuuJ1Ow>



SUSTAINABLE ?



Guardian Environment Network

'Tsunami of data' could consume one fifth of global electricity by 2025

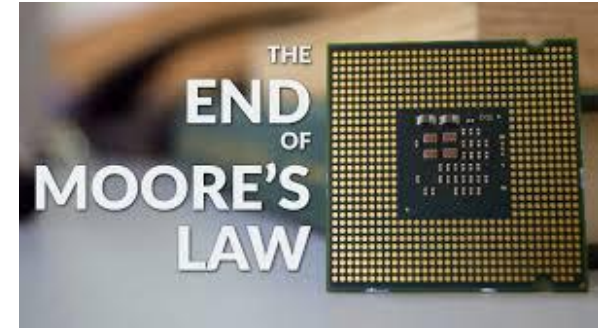
Rebooting Optical Computing: the AI era



Business

World is running out computer power, warns Microsoft boss Nadella

SCALABLE ?



<https://www.youtube.com/watch?v=Ak7HPuuJ1Ow>

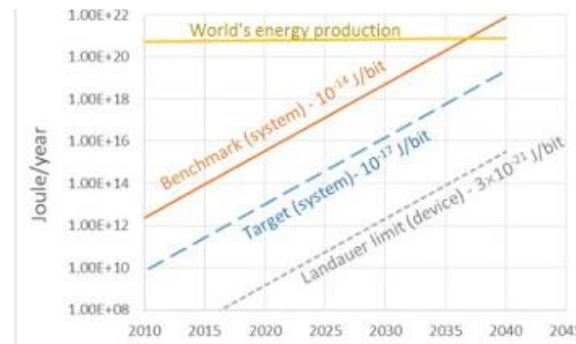
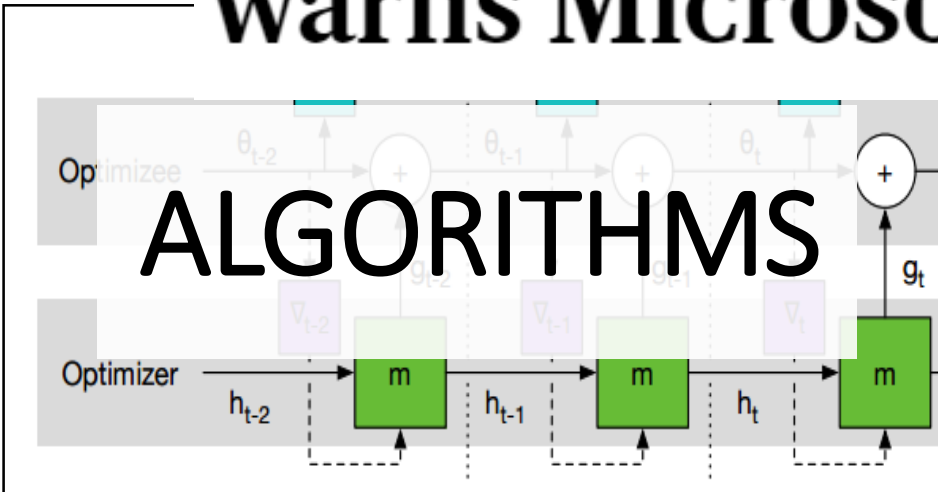


Fig. A8. Total energy of computing.



Guardian Environment Network

'Tsunami of data' could consume one fifth of global electricity by 2025

Computing these days

“.... there is massively more information sent
at shorter distances

so much so that

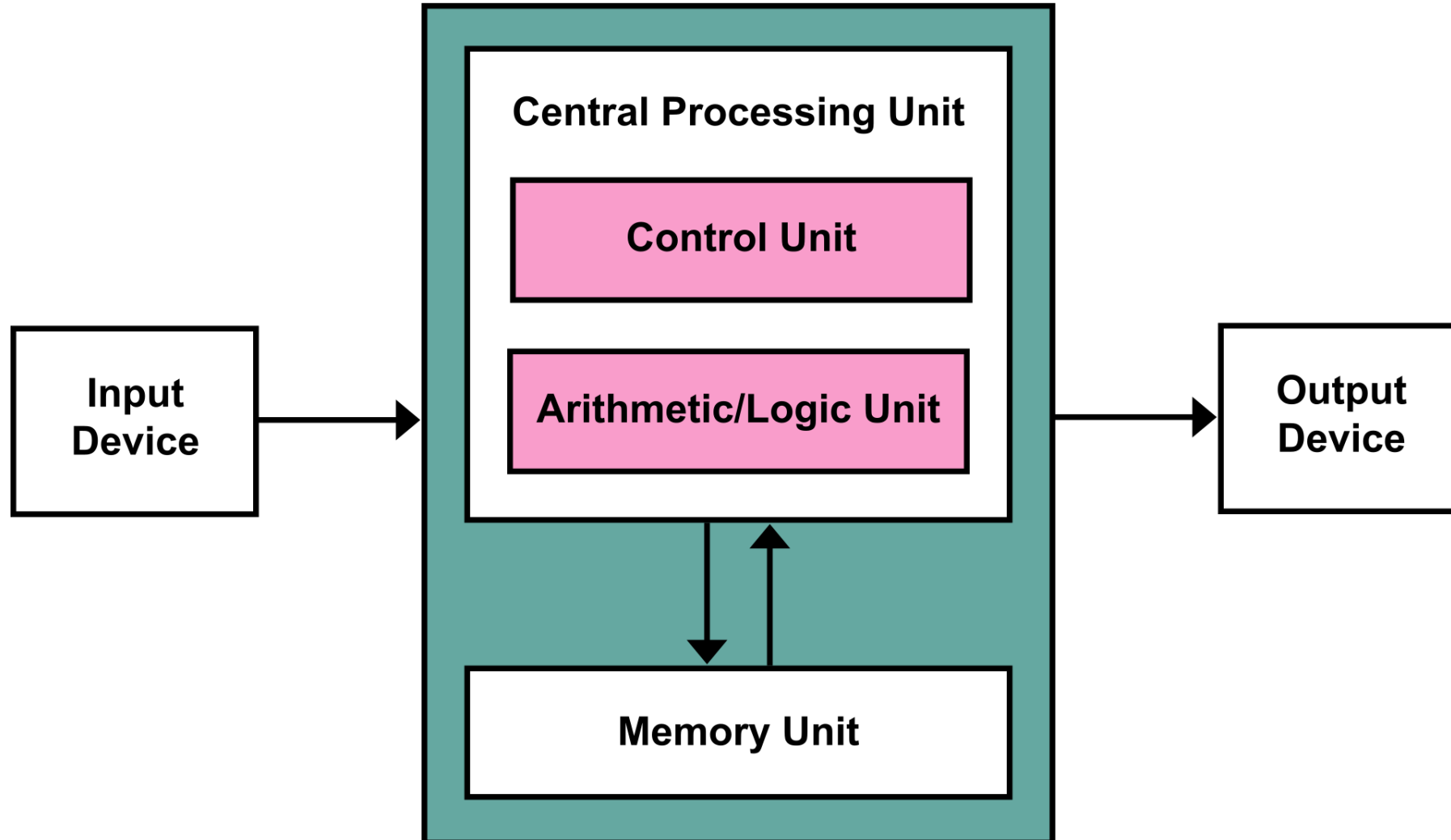
most energy dissipation is in shorter links and
in

interconnects inside machines...”

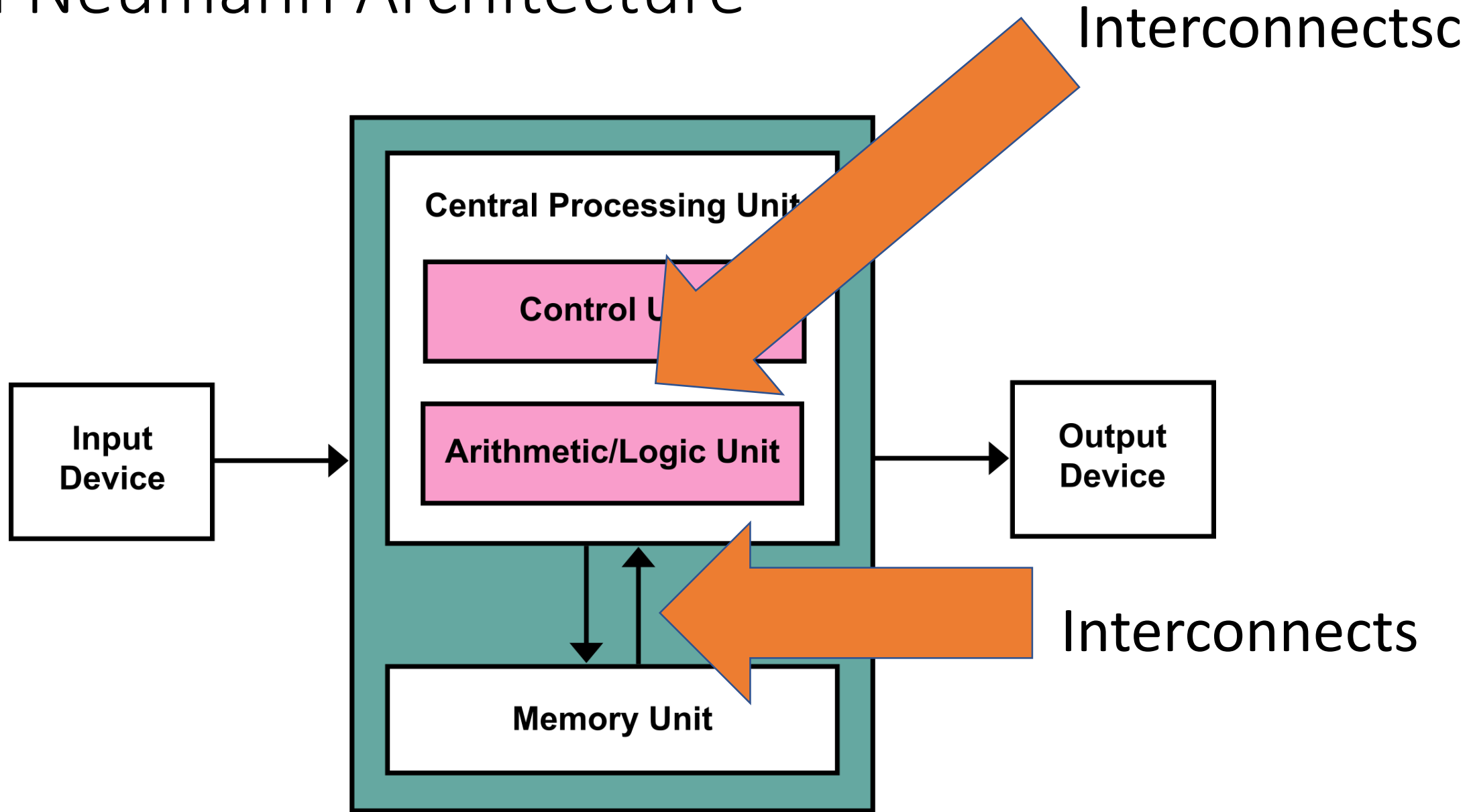
David Miller, Stanford EE



Von Neumann Architecture

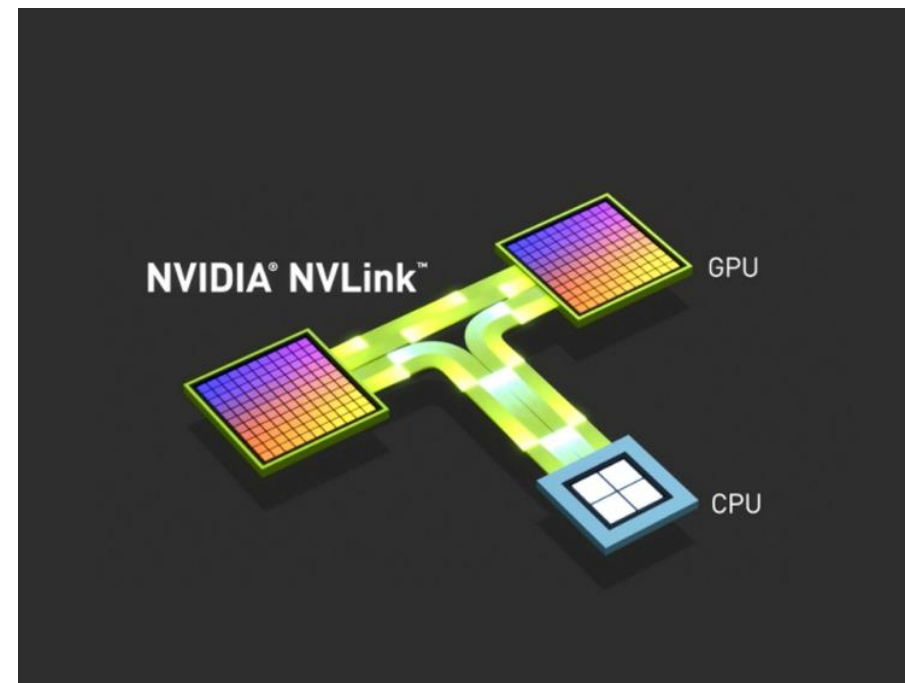
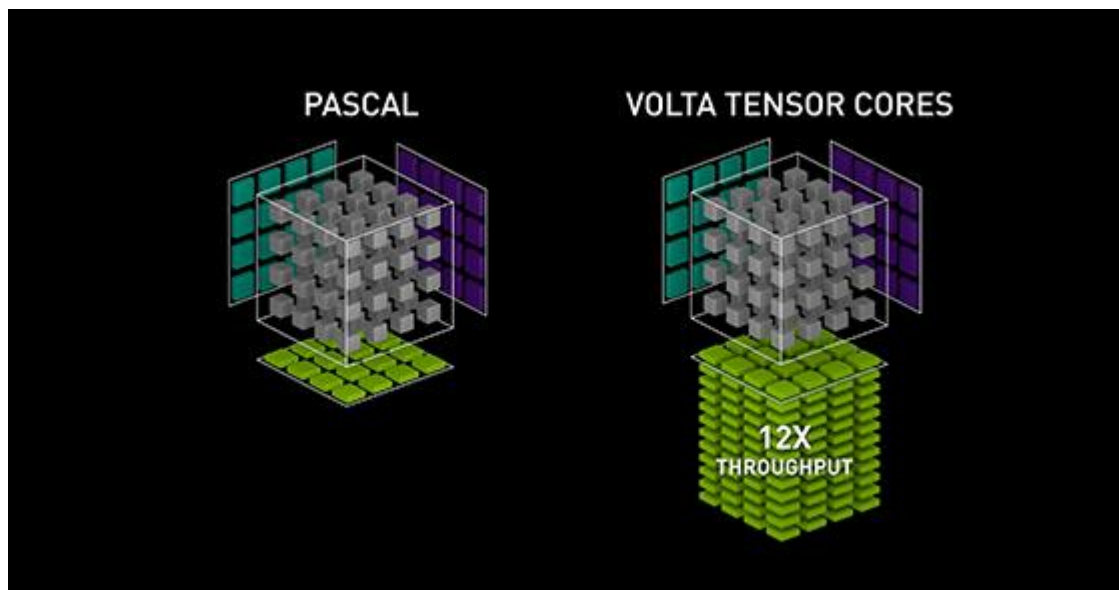


Von Neumann Architecture



Computing these days

It's all about accessing the memory for your computations !



nVIDIA®

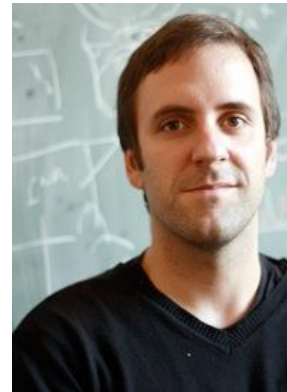
LightOn: The Founding Team



**Igor
Carron**



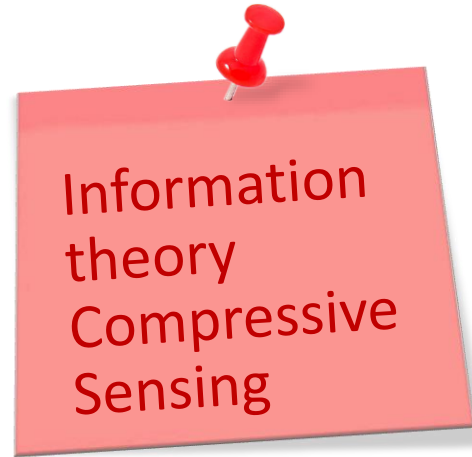
Laurent Daudet



Sylvain Gigan



**Florent
Krzakala**



Laurent



Igor



<http://nuit-blanche.blogspot.com>

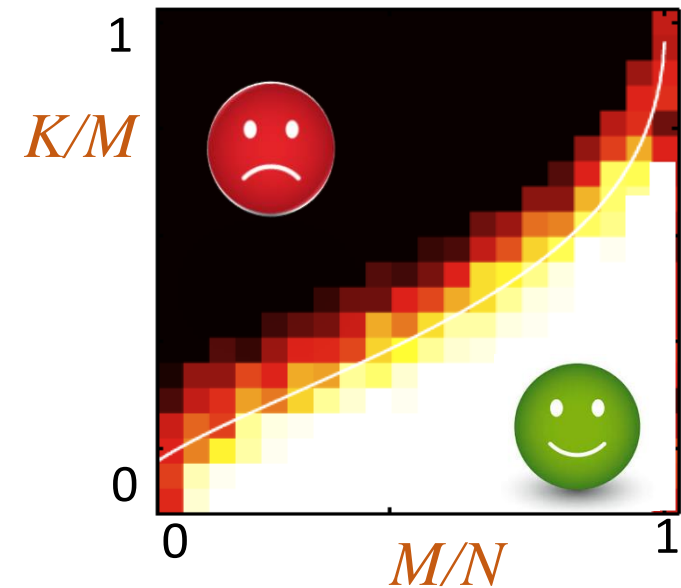
Compressive Sensing

$$\begin{array}{c} \mathbf{y} \\ M \times 1 \end{array} = \begin{array}{c} \Phi \\ M \times N \ (M < N) \end{array} \begin{array}{c} \mathbf{x} \\ N \times 1 \end{array}$$

K-sparse

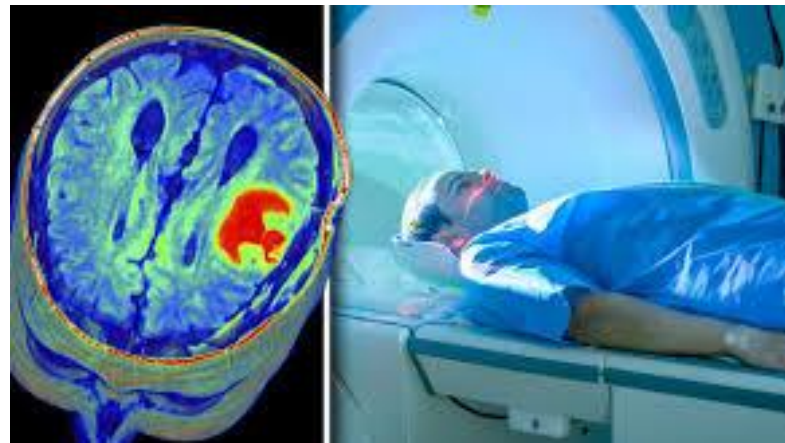
Can one recover \mathbf{x} from \mathbf{y} ?


YES with tractable algorithms
for right values of N , M , K



Lessons from Compressive Sensing

- Signals can be sampled at the level of their information content
- Random Projections are very good for sensing at low data rate
- Strong theoretical background and large empirical evidence





Information
theory
Compressive
Sensing



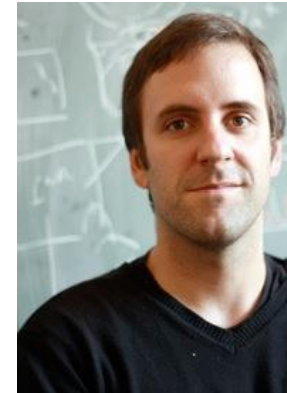
Igor



Laurent



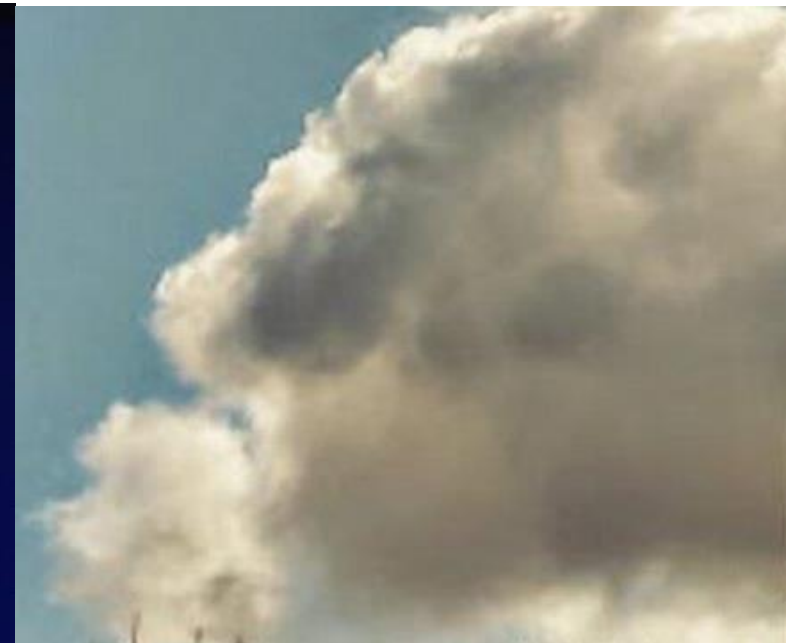
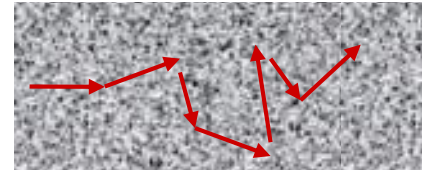
Light Transport
in Diffusive
Media



Sylvain

Light transport in diffusive media

Origin: light is scattered
by inhomogeneities

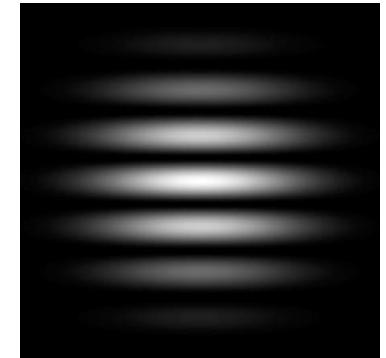
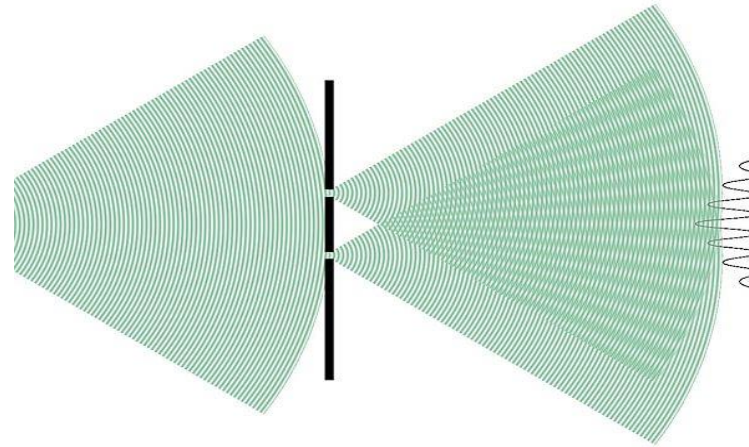


Light transport in diffusive media

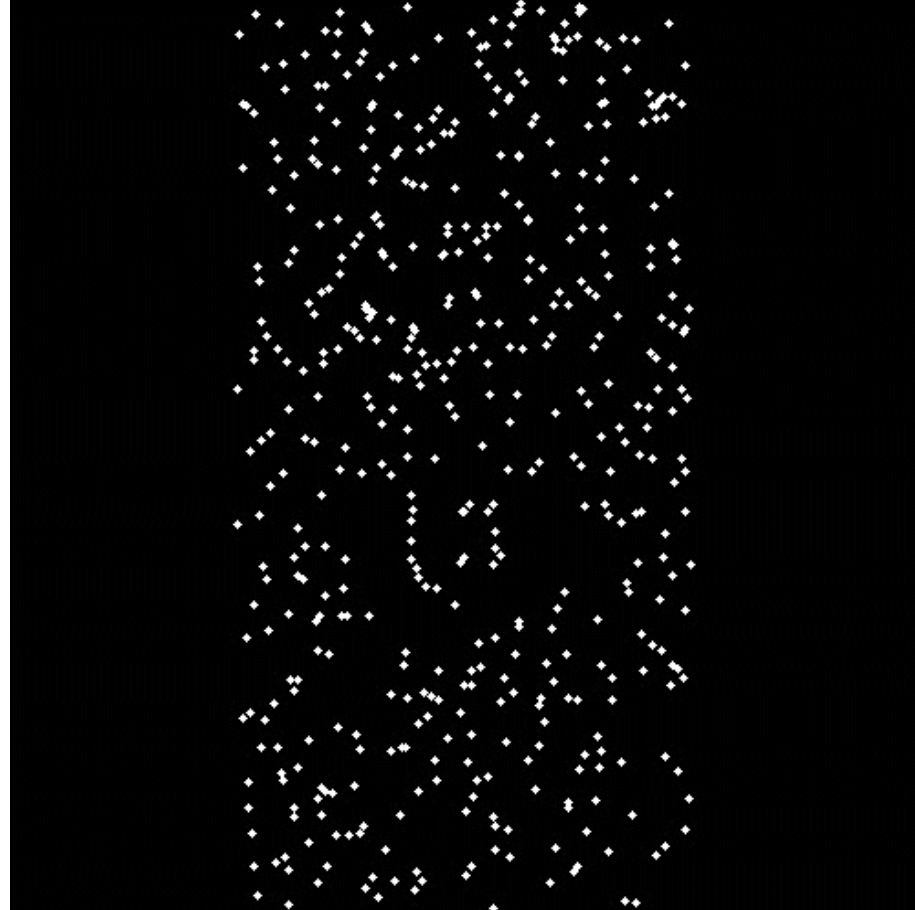


Light transport in diffusive media

Young's slit experiment:
two wave interference
Fringes

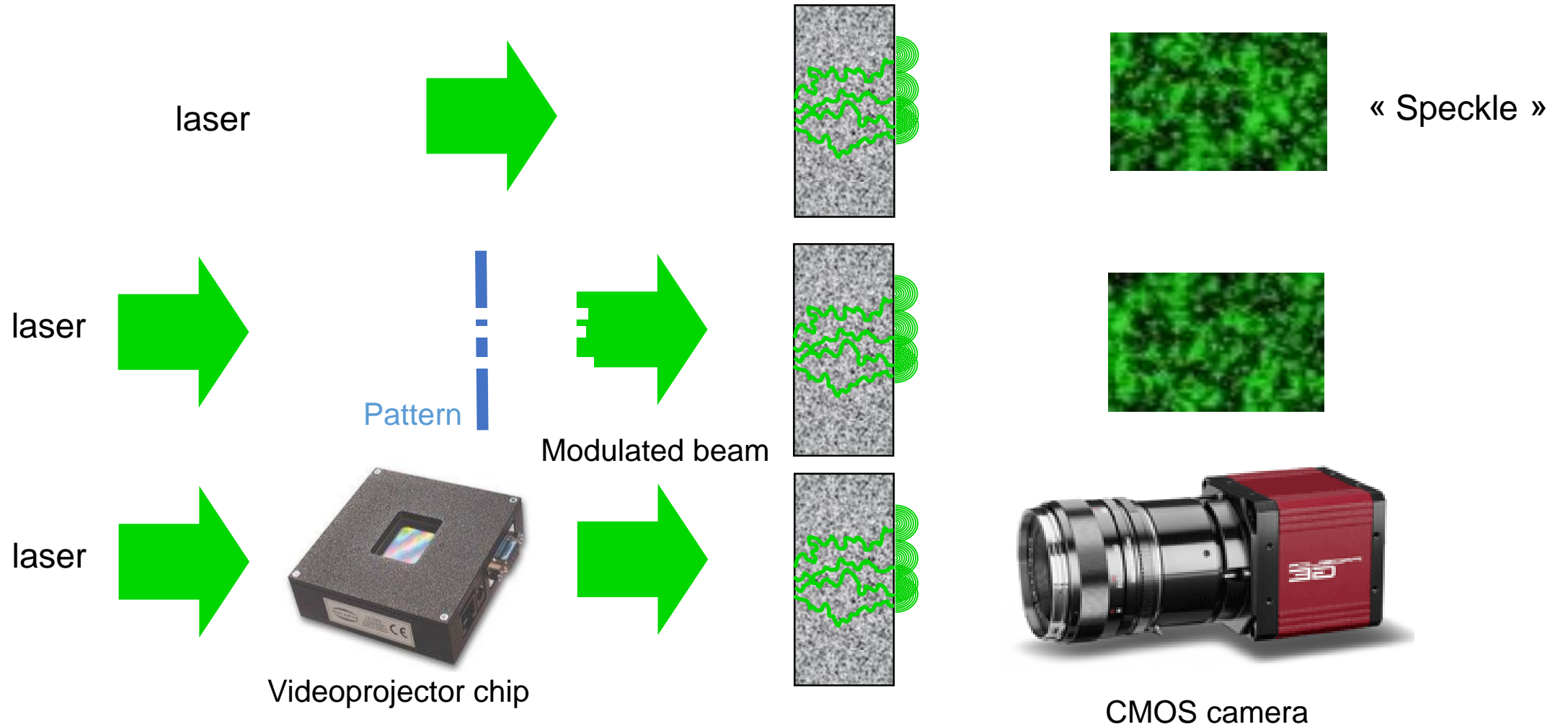


Light transport in diffusive media

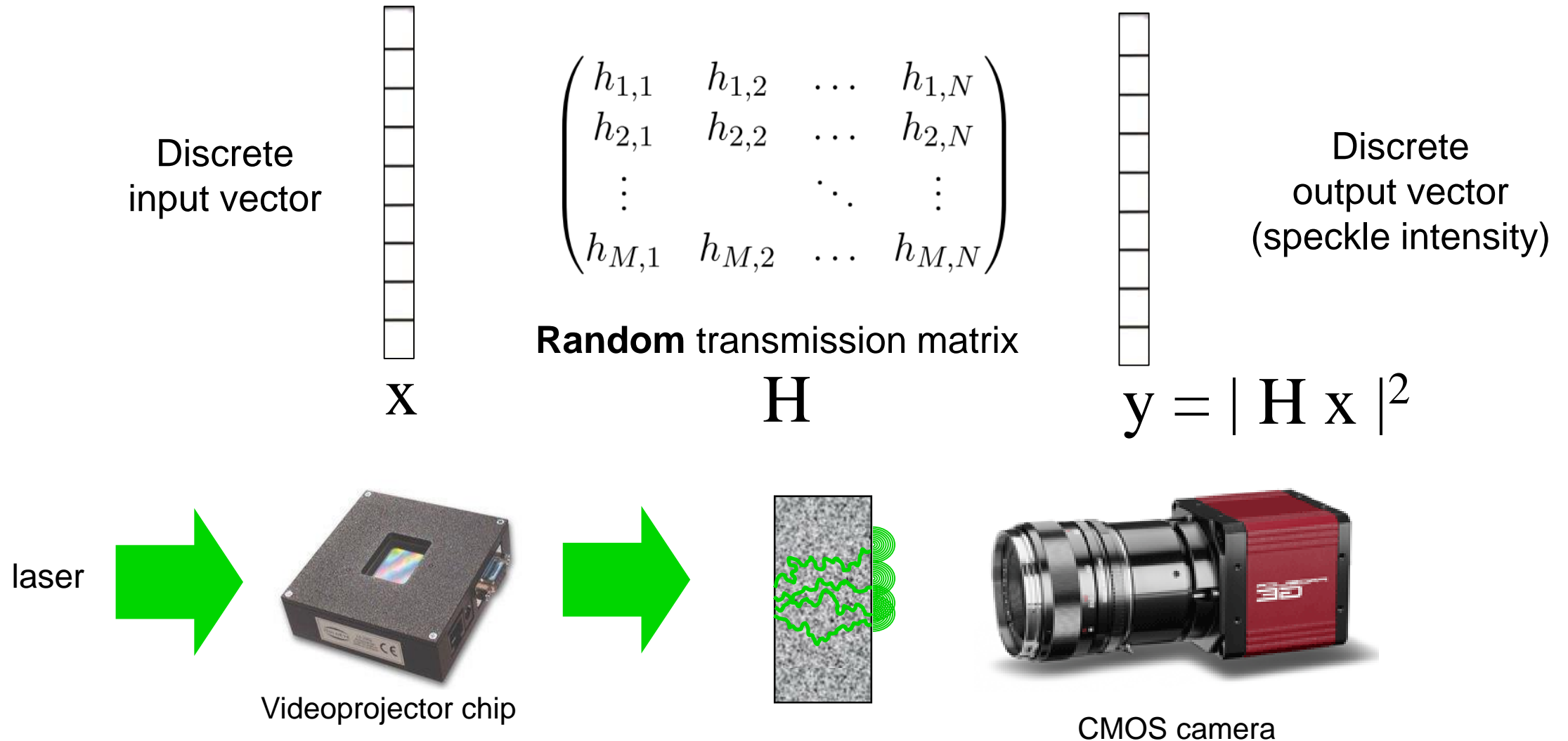


Credit: E. Bossy (UGA), SimSonic.

Scattering: a coherent process

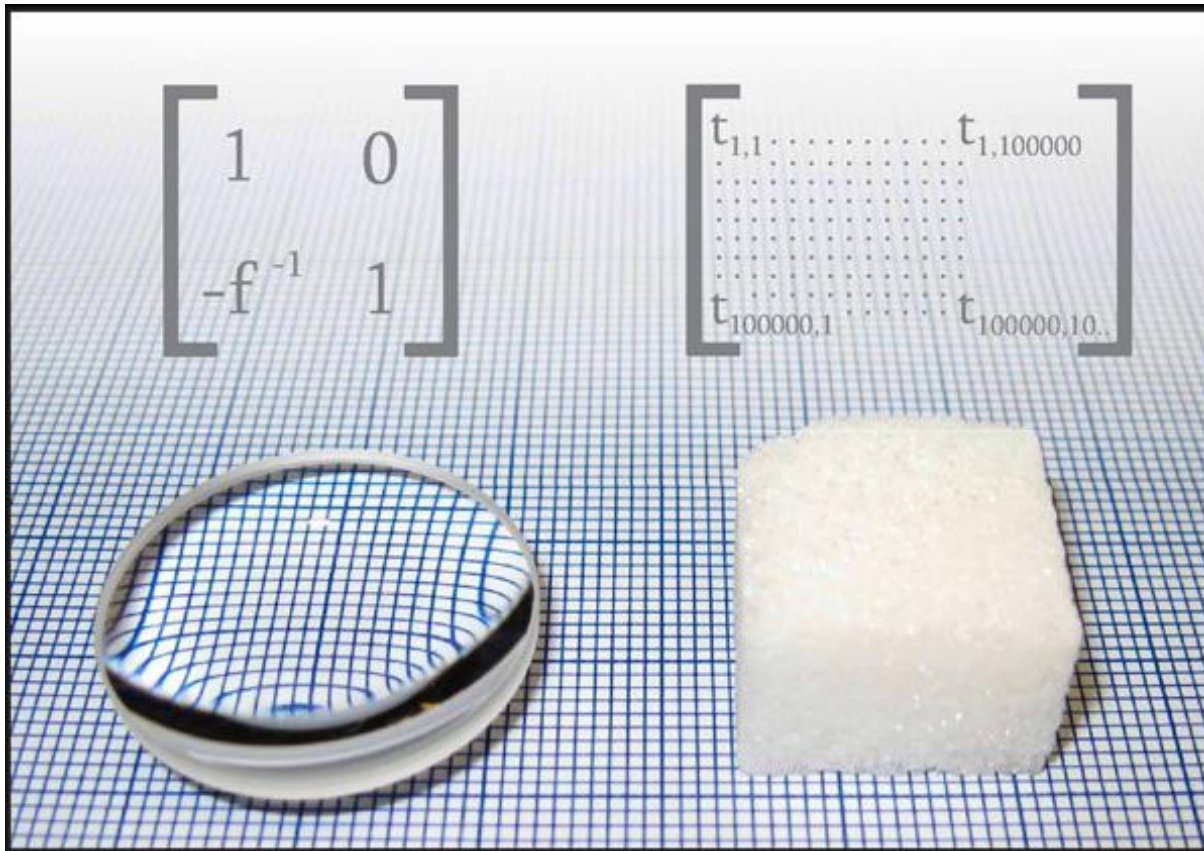


Scattering: a coherent process



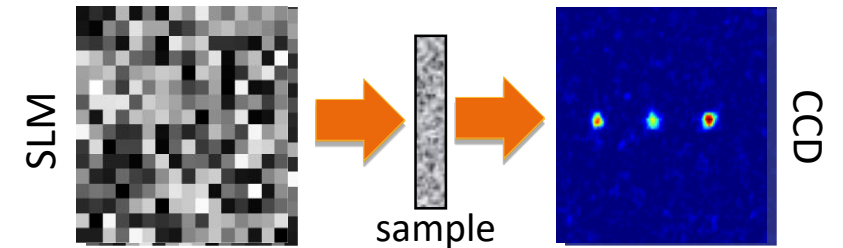
The transmission matrix

Scattering materials are « super-lenses »

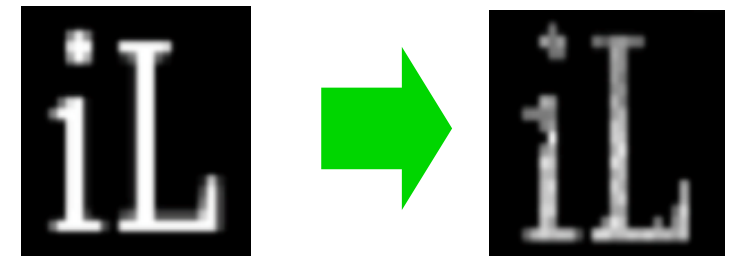


Popoff et al. Phys. Rev. Lett. 104,100601 (2010) / Liutkus et al., Scientific Reports 4, 5552 (2014)

Focusing ++



Imaging ++



Lessons from Light Transport in Diffusing Media

- Scattering preserves the information content: it is possible to « see » through a thick layer of scattering material
- Scattering *optimally* mixes information, evenly spread on output pixels:
 - just like a Random Projection
 - just like in Compressive Sensing
- Matrix-vector multiplication, followed by non-linearity: sounds familiar ?

Information
theory
Compressive
Sensing



Igor

Machine
Learning

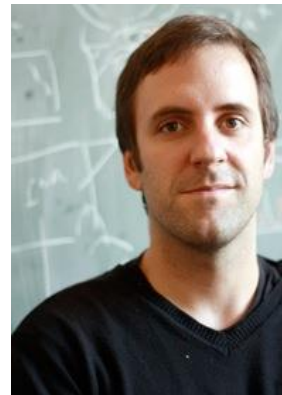


Florent



Laurent

Light Transport
in Diffusive
Media



Sylvain

Random Projections in Machine Learning

- Random Projections act as distance-preserving point cloud embeddings

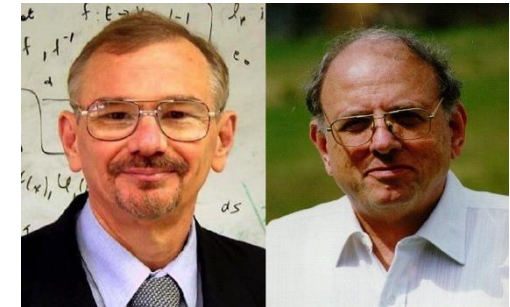
Johnson-Lindenstrauss Lemma (1984)

Lemma For any $0 < \epsilon < 1$ and any integer n let k be a positive integer such that

$$k \geq \frac{24}{3\epsilon^2 - 2\epsilon^3} \log n$$

then for any set A of n points $\in \mathbb{R}^d$ there exists a map $f: \mathbb{R}^d \rightarrow \mathbb{R}^k$ such that for all $x_i, x_j \in A$

$$(1 - \epsilon) \|x_i - x_j\|^2 \leq \|f(x_i) - f(x_j)\|^2 \leq (1 + \epsilon) \|x_i - x_j\|^2$$



- Supervised Learning
- Unsupervised Learning: Randomized PCA, etc...

Lessons from Random Projections in Machine Learning

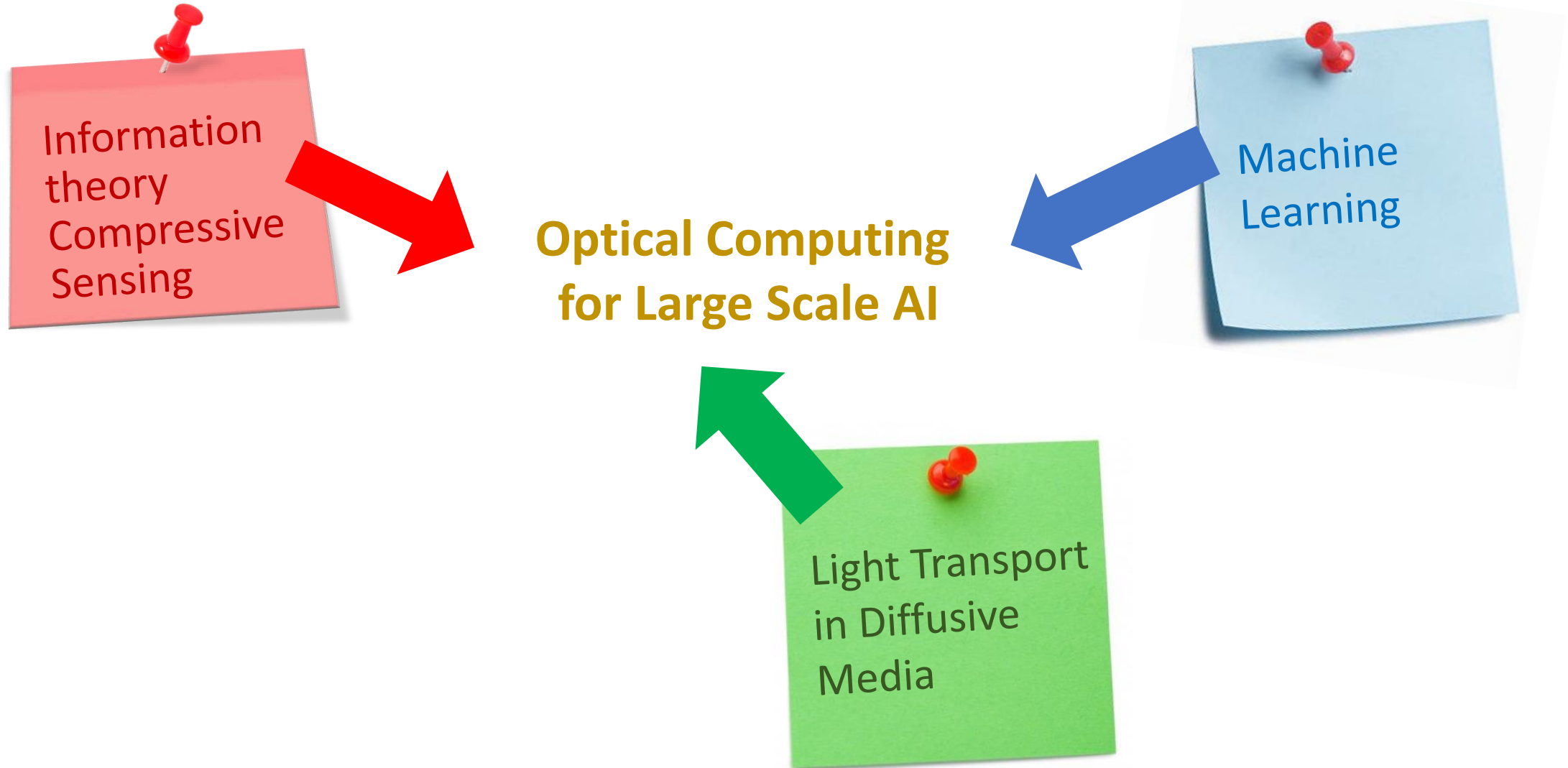
- Random projections act as dimensionality reduction or expansion
- They can also be seen as a dense layer in a Deep Learning model
- High dimensions reduce sensitivity to hyper-parameters
- Calibration-free



	Step 1	Random Proj.	Step 2 (Expansion)	Step 3 (WTA)
Fly olfaction	Antennae lobe 50 glomeruli	Sparse, binary Samples 6	Mushroom body 2000 Kenyon cells	APL neuron top 5%
Mouse olfaction	Olfactory bulb 1000 glomeruli	Dense, weak Samples all	Piriform cortex 100K semi-lunar cells	Layer 2A top 10%
Rat cerebellum	Pre-cerebellar nuclei	Sparse, binary Samples 4	Granule cell layer 100M granule cells	Golgi cells top 10–20%
Rat hippocampus	Entorhinal cortex 30K grid cells	Unknown	Dentate gyrus 1.2M granule cells	Hilar cells top 2%

The steps used in the fly olfactory circuit and their potential analogs in vertebrate brain regions.

The Convergence

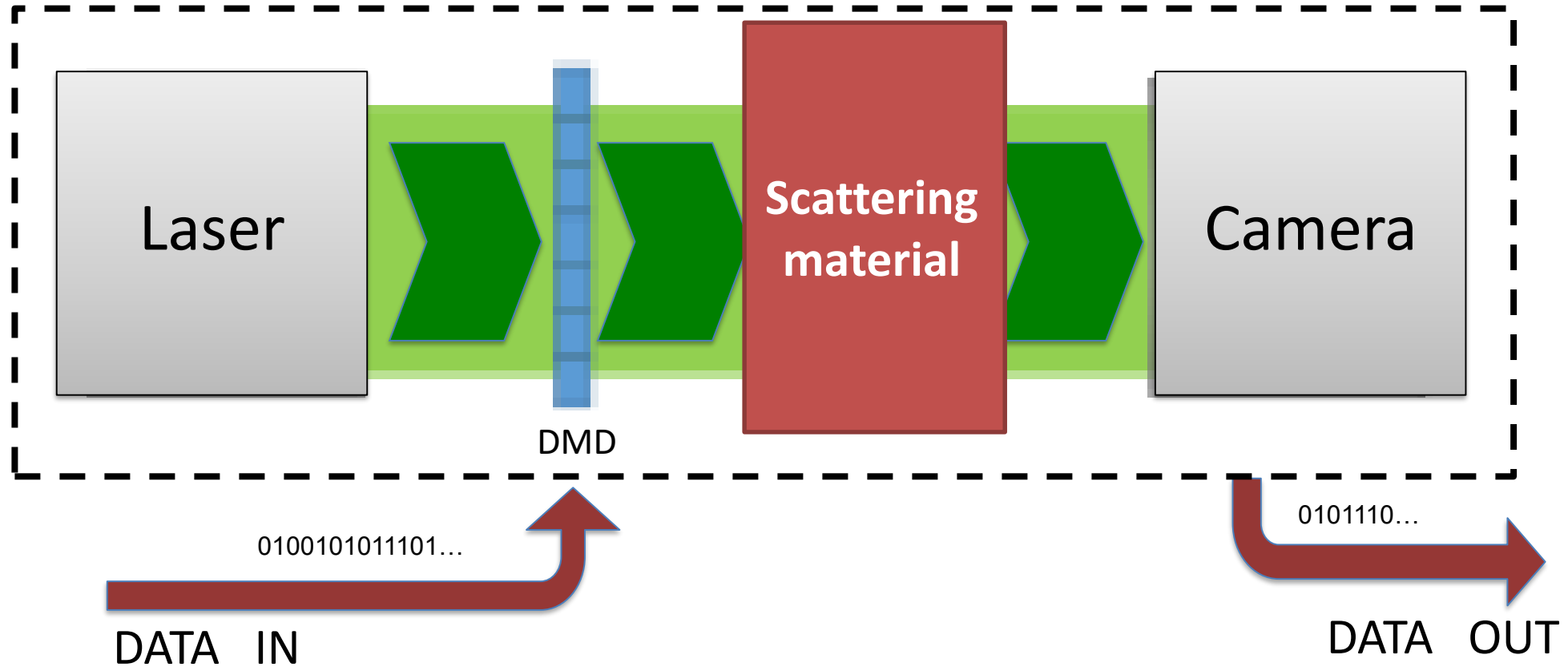


At  LightOn , we bring Light to AI ...

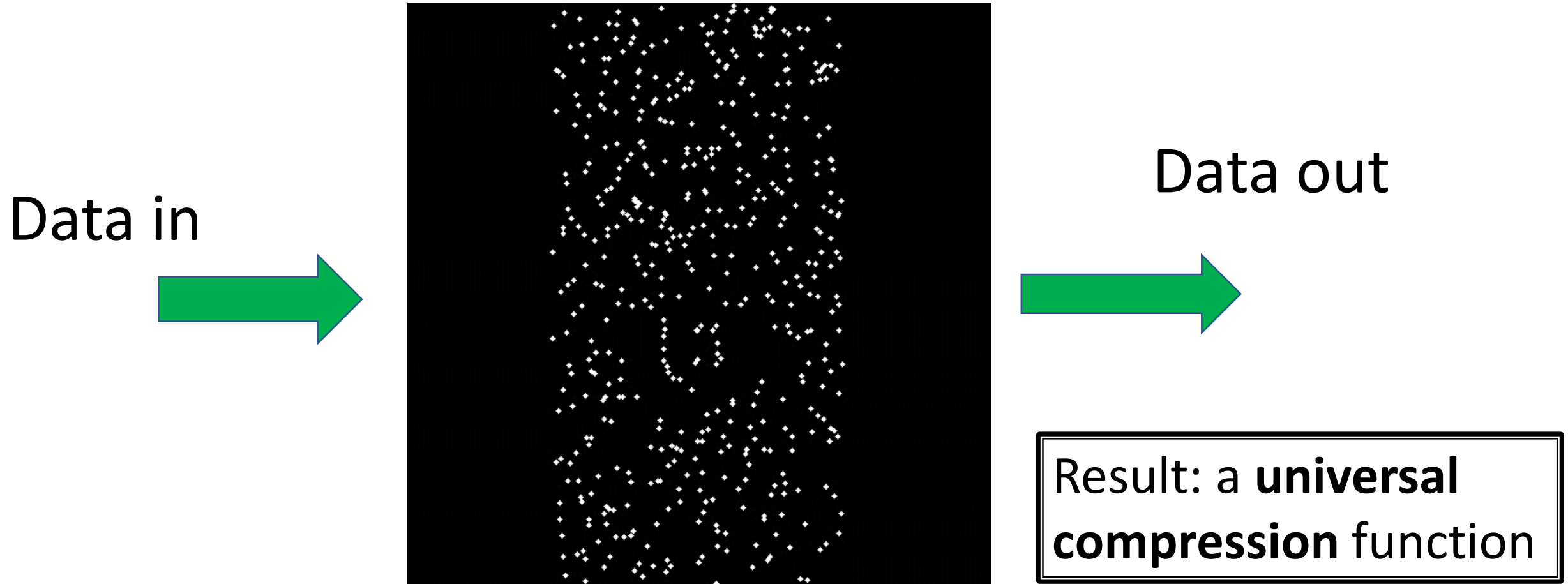
... using diffusive media as memories !



Optical Computing for Large Scale AI



Harvesting Universal Compression from Nature



Optical Computing for Large Scale AI

This performs **Random Projections** in the analog domain

$$y = |Hx|^2$$

with H a complex random iid matrix



EXTRA-LARGE

H of size higher than
 $10^6 \times 10^6$
(TBs of memory)

&

SUPER-FAST

kHz operation
 $\rightarrow 10^3$ such
multiplies / s

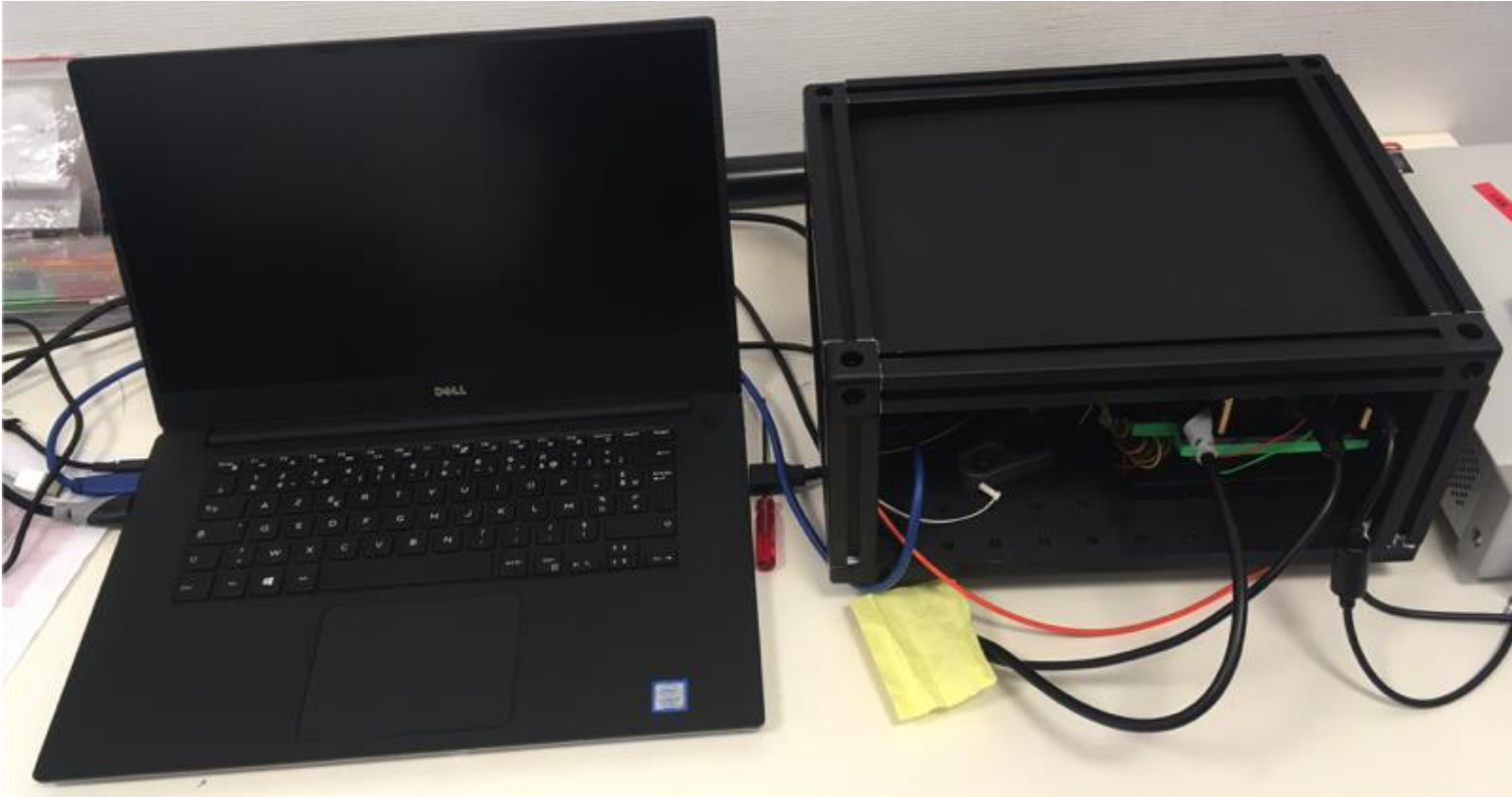


Equivalent 10^{15} operations / s : You would need a *Peta-scale* computer to do the same

Optical Computing for Large Scale AI

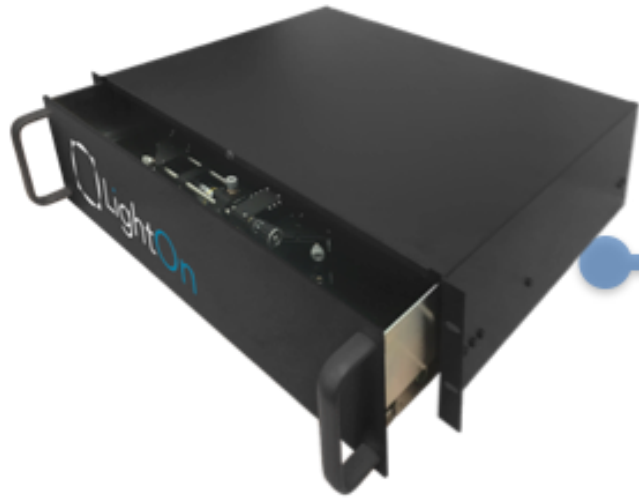


Optical Computing for Large Scale AI

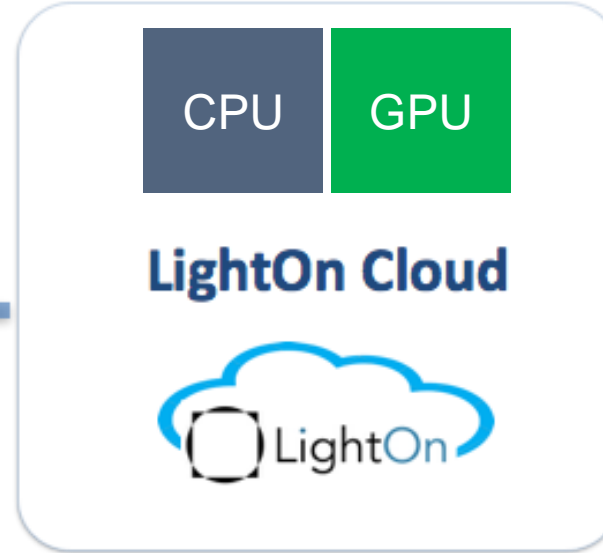


Spring 2017 - The first « OPU »: Optical Processing Unit

Optical Computing for Large Scale AI



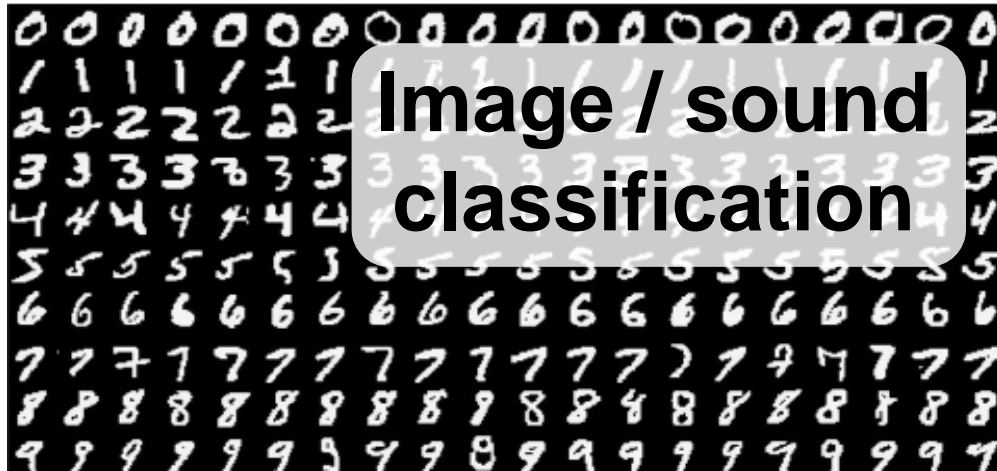
« Zeus » and « Vulcan »
OPU prototypes
30 W



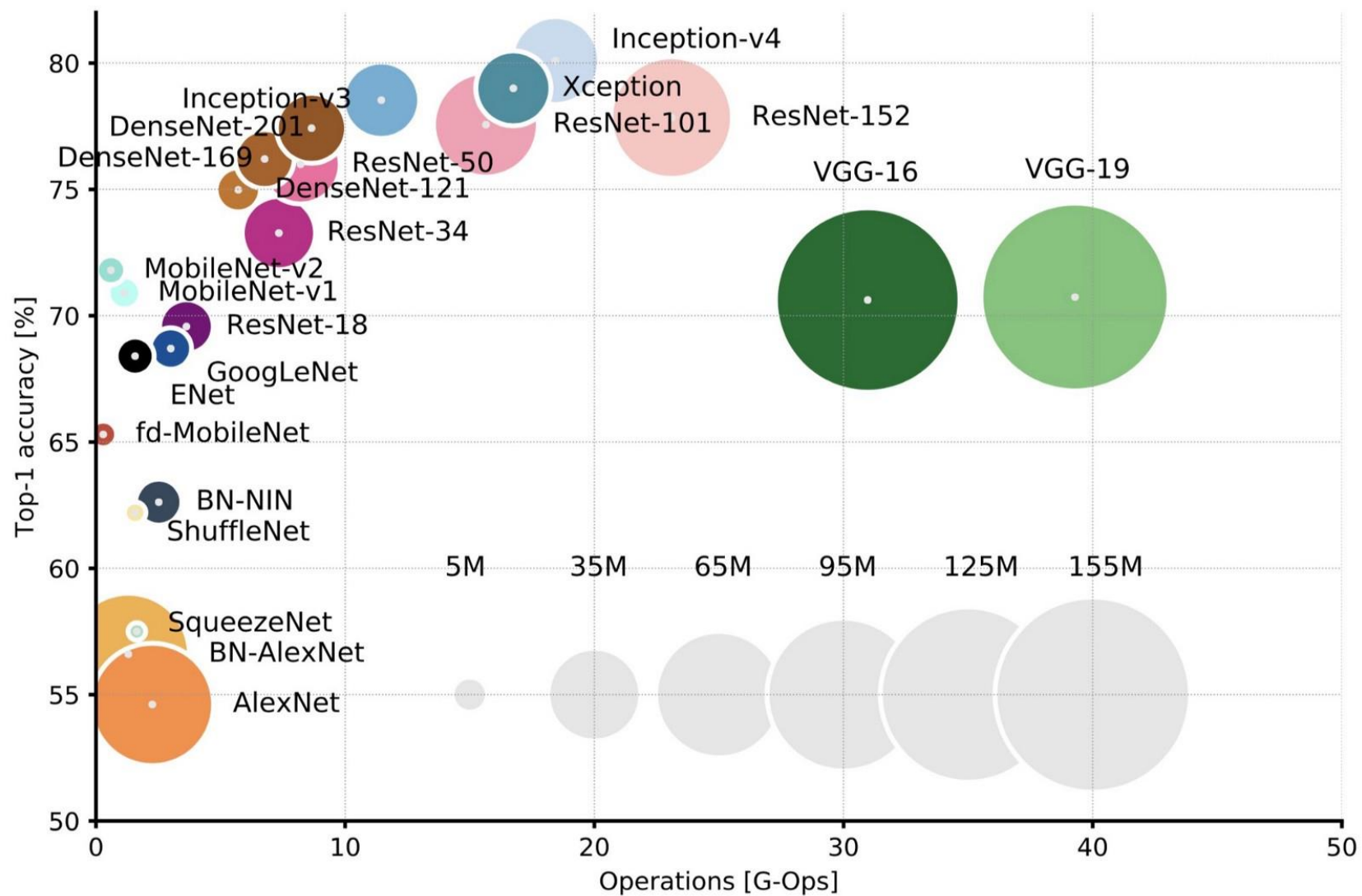

OVH.com



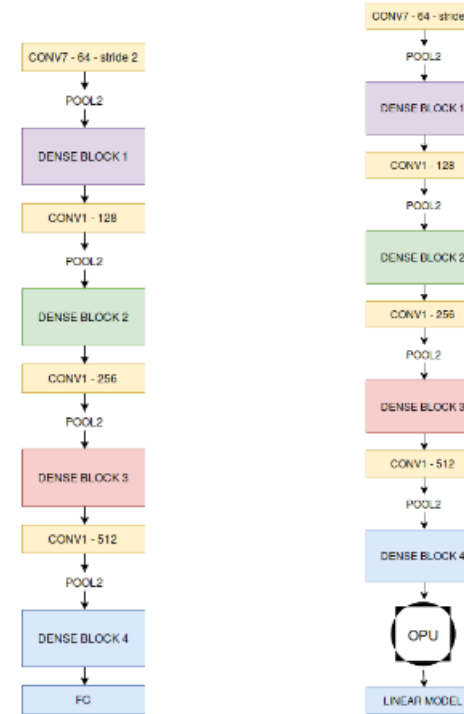
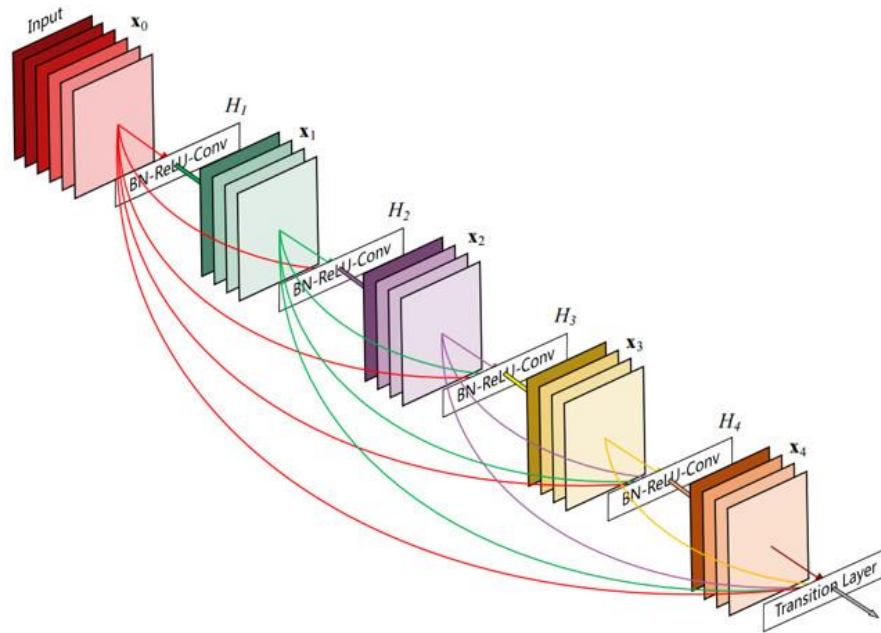
Some typical use cases



Fast Transfer Learning



Fast Transfer Learning



Fast Transfer Learning

From



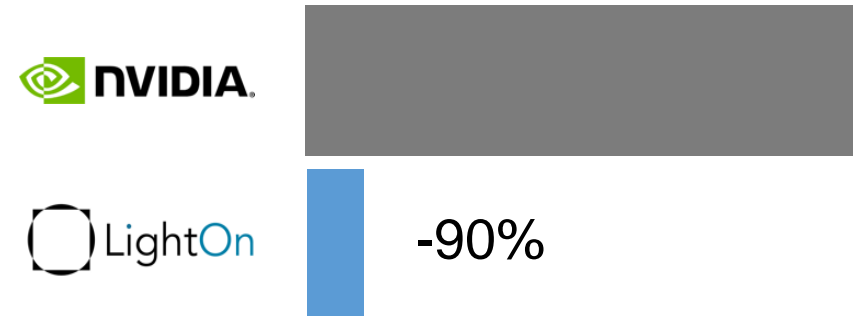
to



Speed

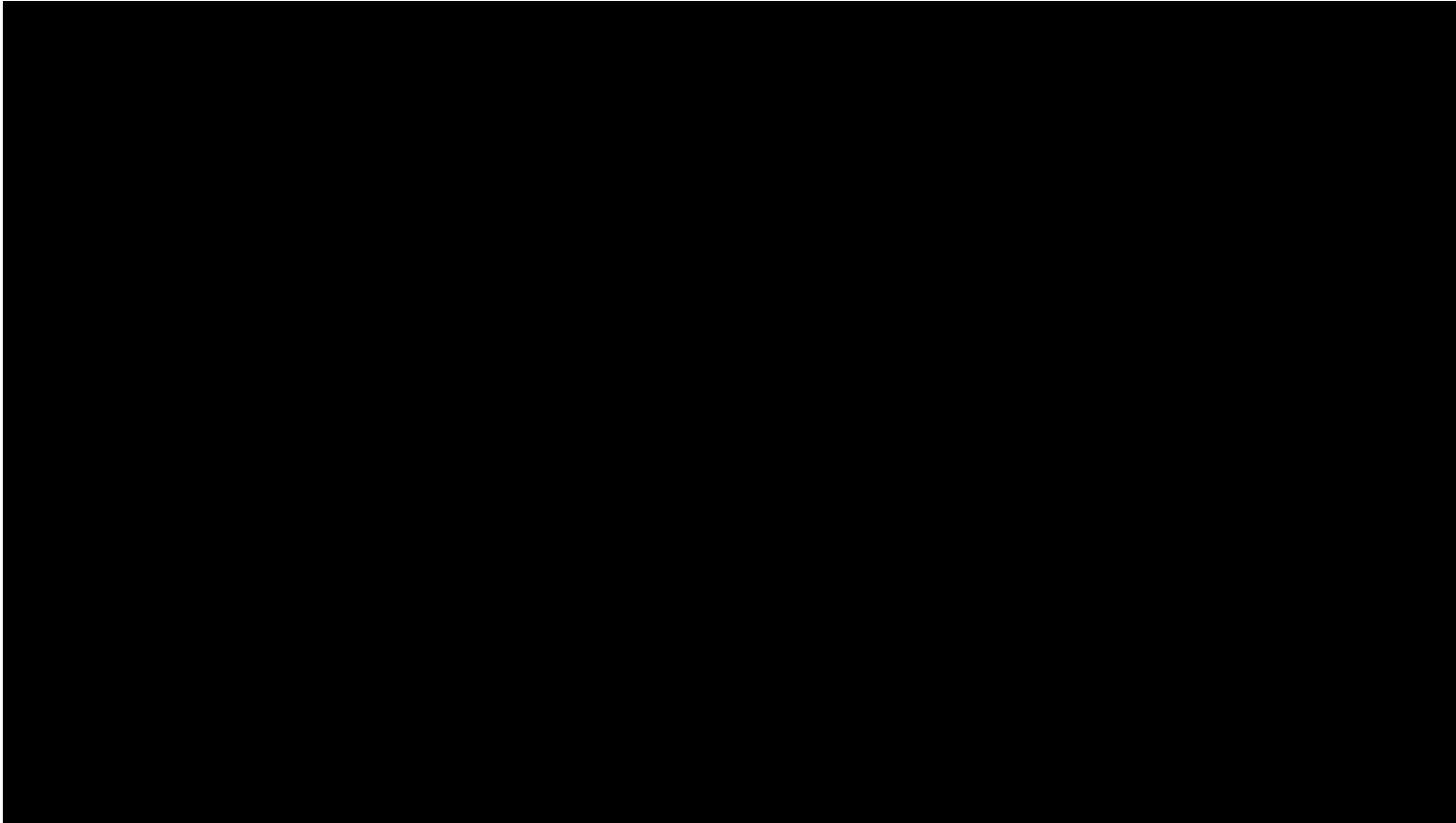


Power consumption

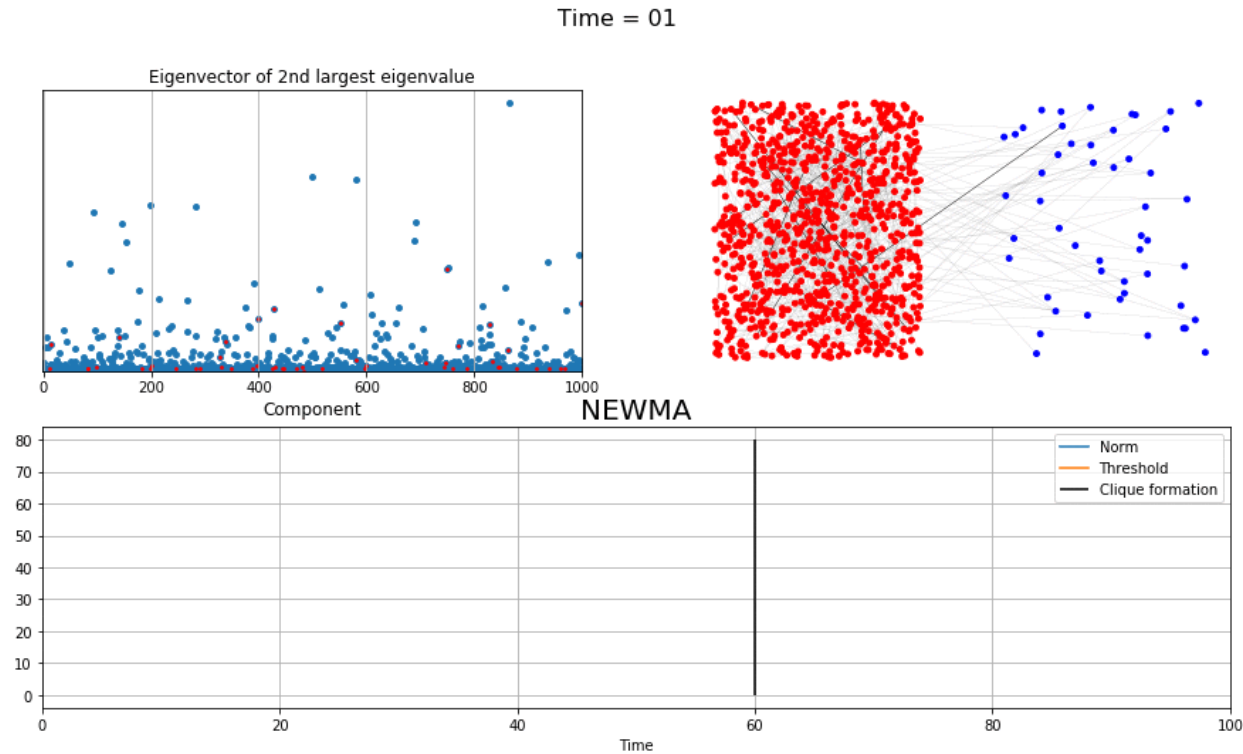


Large Scale Anomaly Detection

NEWMA: a new method for scalable model-free online change-point detection,
Nicolas Keriven, Damien Garreau, Iacopo Poli, <https://arxiv.org/abs/1805.08061>



Clique detection on Graphs



Recommender Systems

Recommender Systems shape our lives at scale !



NETFLIX



Recommender Systems

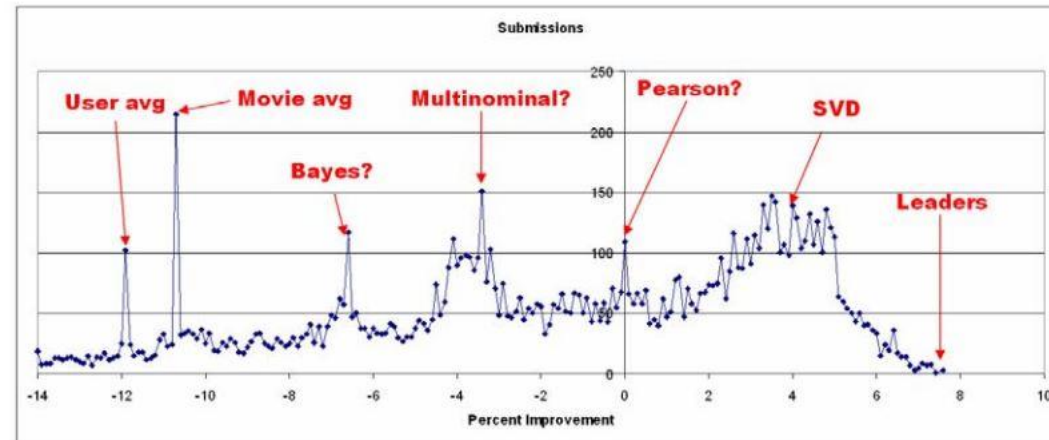
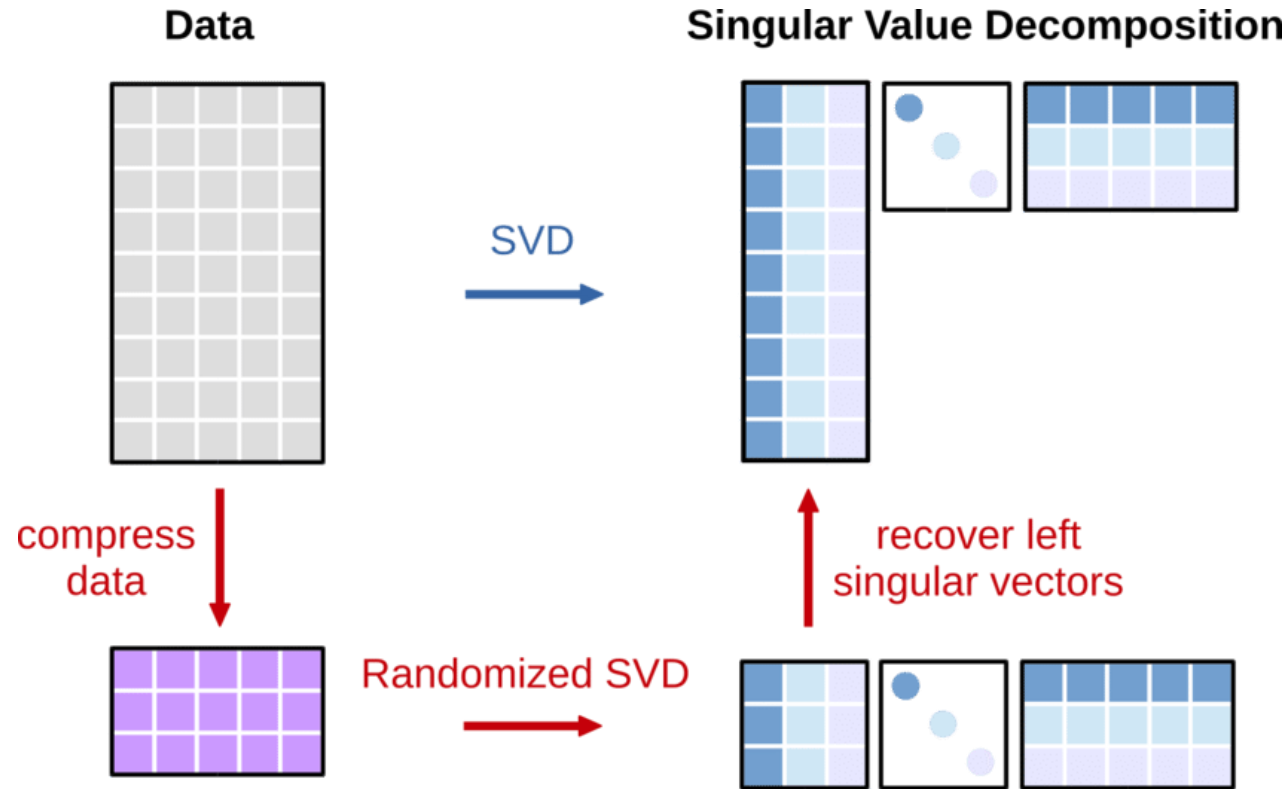


Figure 2: Detail of distribution of leading submissions indicating possible techniques

The Netflix Prize: Crowdsourcing to Improve DVD Recommendations, <https://digit.hbs.org/submission/the-netflix-prize-crowdsourcing-to-improve-dvd-recommendations/>

Confidential LightOn - Confidential

Recommender Systems



Cornell University Library

arXiv.org > math > arXiv:0909.4061

Search or Ar
(Help) | Advanced

Mathematics > Numerical Analysis

Finding structure with randomness: Probabilistic algorithms for constructing approximate matrix decompositions

Nathan Halko, Per-Gunnar Martinsson, Joel A. Tropp

(Submitted on 22 Sep 2009 (v1), last revised 14 Dec 2010 (this version, v2))

Low-rank matrix approximations, such as the truncated singular value decomposition and the rank-revealing QR decomposition, play a central role in data analysis and scientific computing. This work surveys and extends recent research which demonstrates that randomization offers a powerful tool for performing low-rank matrix approximation. These techniques exploit modern computational architectures more fully than classical methods and open the possibility of dealing with truly massive data sets. This paper presents a modular framework for constructing randomized algorithms that compute partial matrix decompositions. These methods use random sampling to identify a subspace that captures most of the action of a matrix. The input matrix is then compressed—either explicitly or implicitly—to this subspace, and the reduced matrix is manipulated deterministically to obtain the desired low-rank factorization. In many cases, this approach beats its classical competitors in terms of accuracy, speed, and robustness. These claims are supported by extensive numerical experiments and a detailed error analysis.

Subjects: Numerical Analysis (math.NA); Probability (math.PR)

Journal reference: SIAM Rev., Survey and Review section, Vol. 53, num. 2, pp. 217-288, June 2011

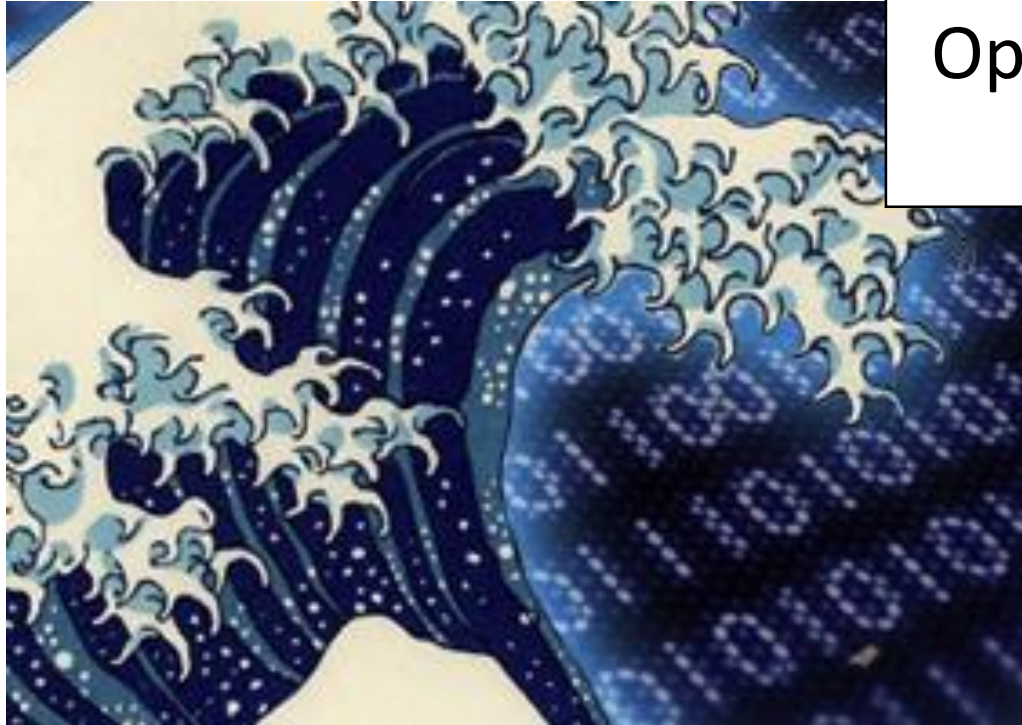
Cite as: arXiv:0909.4061 [math.NA]
(or arXiv:0909.4061v2 [math.NA] for this version)

- Randomized Matrix Decompositions using R, Aug 2016, N. Benjamin Erichson, Sergey Voronin, Steven L. Brunton, J. Nathan Kutz

Recommender Systems

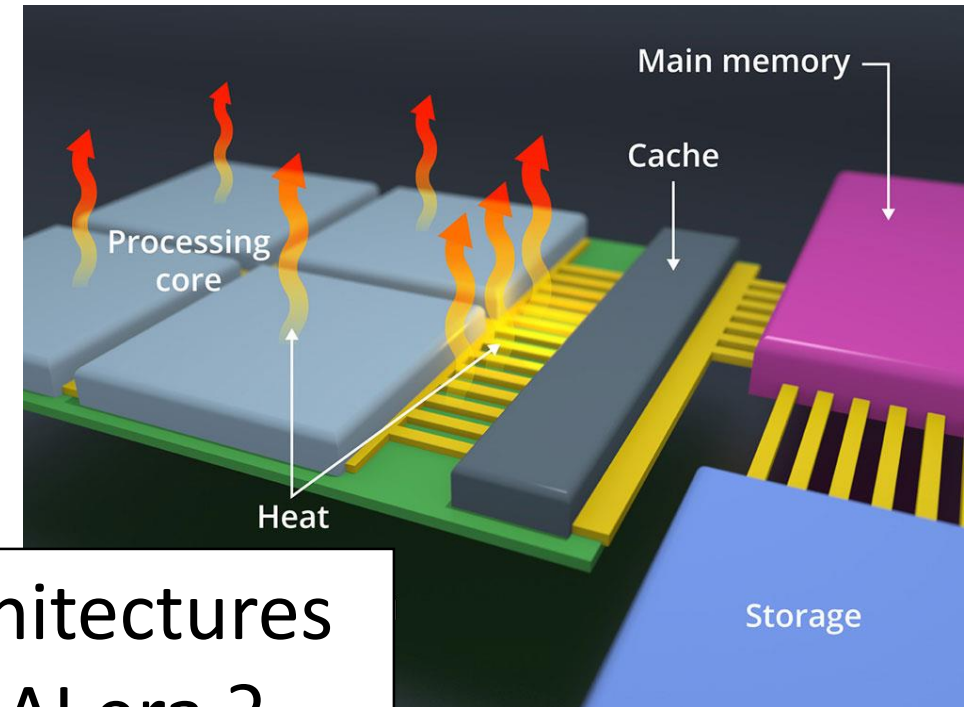
- Movielens with 20 millions records (size 26.000 x 140.000) with 0.5% non-zero entries
- At the moment, our OPU is competitive with Facebook-PCA approach (efficient randomized SVD CPU implementation)

One statement and one question



<https://blog.apterainc.com/the-data-tsunami-is-coming.-is-your-company-ready>

Optical Computing is already **at scale** for the data tsunami



Will Von Neumann architectures stay prevalent in the AI era ?

<http://www.rochester.edu/newscenter/microprocessors-computing-architecture-304252/vonneumann-architecture/>

Just try it !



- Available for beta-users Q1 2019 (VMs via OpenStack)
- **Platform-as-a-Service** Integration within popular ML frameworks (Python-based: Scikit-Learn, TensorFlow to be supported ...)

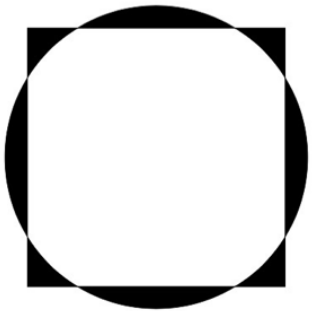
Sign-up: lighton.io



Igor Carron

igor@lighton.io

<http://Lighton.io>



LightOn

Using Light to change the Future of Computing